The Elliptical Constant is the Rosetta Stone of *Reality*

The Elliptical Constant is the source of every physical constant and is that by which the value of One is established for any system.



Bisect line pp at point c.



Draw a line equal to line pc from point f to line ac.



Construct an ellipse with a focus at point f through points p and a.



Draw a line perpendicular to line pp from a point f (pf = pf) to the locus of the ellipse.



Connect points f and s with line fs.





Construct an ellipse with a focus at point f' through points p and a'



Draw a line perpendicular to line pp from a point f' (cf' = pf) to the locus of the ellipse.



Connect points f' and s' with line f's'.



There is a distinct right triangle within each ellipse; respectively, the blue triangle within the white ellipse; and, the green triangle within the yellow ellipse.



Label the focal length, ff, as W. Label the hypotenuse, fs, as H.

Let the difference $H - W = \epsilon$.



R = the square root of 2W + ϵ





Inscribe a circle within each right triangle. pf = cf' = xthe diameters of each circle are identical and equal $x + \varepsilon$, and







The below relationships are true for ellipses of any size and any ellipticity from a straight line to a perfect circle.

$\boldsymbol{\epsilon}$ = $\boldsymbol{\epsilon} psilon$ = One = the Elliptical Constant

$$P = pf = cf$$

$$V = P^{2}$$

$$P = r + \varepsilon$$

$$H = W + \varepsilon$$

$$B = R + \varepsilon$$

$$D = V + \varepsilon$$

$$V = U + \varepsilon$$

$$d = P + \varepsilon$$

$$R = d + \varepsilon$$

$$2P = R + \varepsilon$$

$$R = Sq Rt (2W + \varepsilon)$$

If $B^2 + H^2 + U^2 = D^2 + R^2 + W^2$ then, Triangles WRH and UBD are right triangles.

AMAZINGLY:

When the Pulse, p, = any integer > &; then triangles pps and p'p's' are Pythagorian triangles where the difference between

a side of each triangle = \mathcal{E} . And, the circles inscribed within the different Pythagorian triangles have identical diameters

that equal p + 8; and,

identical radii

that equal $p - \epsilon$.

The Brunardot Theorem $C^2 = 2 V^2 - S^2$

The Pulsoid Theorem $V = \epsilon P^2$